

Java 3D's Scene Graphs

Basic elements of Graph Theory

Examples of where graphs are used in graphics

And then, Java 3D's Scene Graphs

The basics of Graph Theory

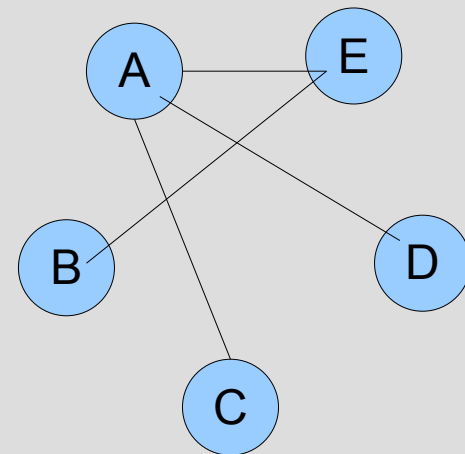
- Graph Theory:
 - What it is...
 - Some of its applications...
 - Why we care about graphs in a course on computer graphics
- Some computer graphics applications of graph theory
- Java 3D's Scene Graphs

Graph Theory

- Graph Theory:
 - Mathematical field which uses a structure called a graph to study the interrelationship of entities
- Graph:
 - A mathematical structure consisting of:
 - Nodes (also known as vertices and sometimes points)
 - Edges (sometimes less commonly called arcs or lines)
 - A Graph is formally defined with the notation:
 - $G = (V, E)$
 - Where, V is a set of nodes (or vertices), e.g.,
 - $V = \{ a, b, c, d, e \}$
 - And E is a set of edges where an edge is a pair of vertices
 - $E = \{ (a,c), (b,e), (a,d), (e,a) \}$

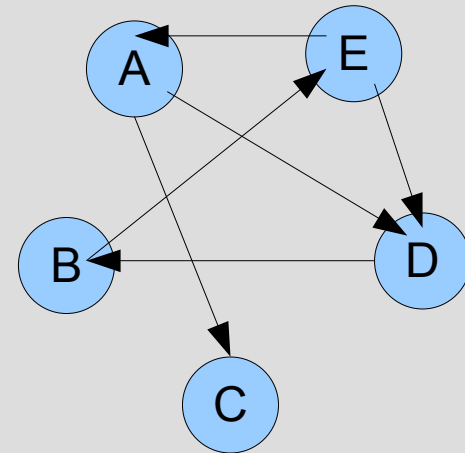
Examples of Graphs

- Graphs can be visualized with circles or some other shape for nodes or vertices and lines for edges
- E.g.,
 - $V = \{ a, b, c, d, e \}$
 - $E = \{ (a,c), (b,e), (a,d), (e,a) \}$



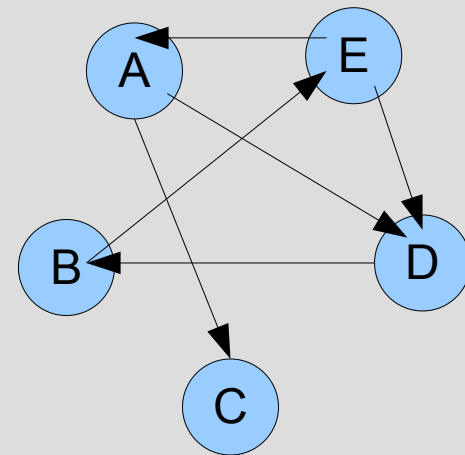
Directed Graphs

- A directed graph (or digraph) is a graph but with directions on the edges
- E.g.,
 - $V = \{ a, b, c, d, e \}$
 - $E = \{ (a,c), (b,e), (a,d), (e,a), (e,d), (d,b) \}$



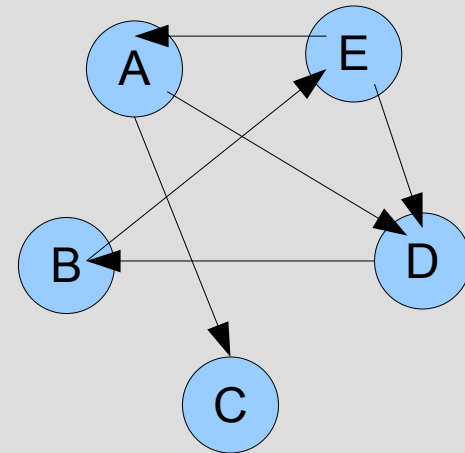
Paths

- A Path in a graph is a sequence of nodes that follow the edges of the graph
- Example path:
 - A path from A to B
 - A,D,B



Cycles

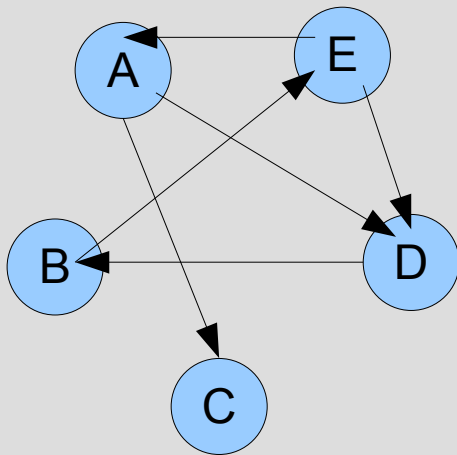
- A cycle in a graph is a path that includes the same node more than once
- Example of a cycle
 - B,E,D,B
- Another example
 - A,D,B,E,A



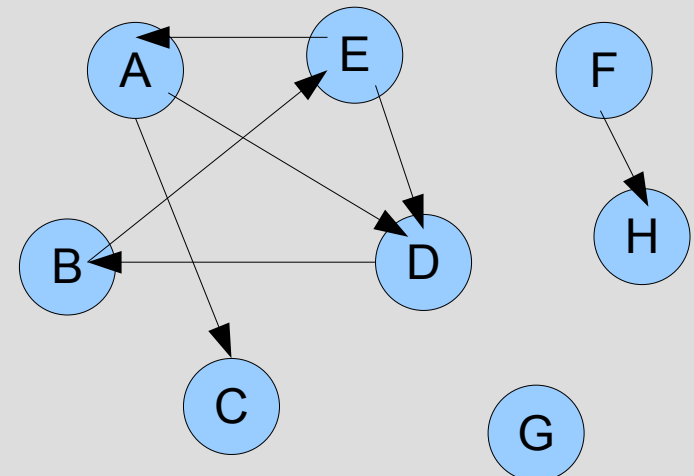
A Connected Graph

- Graphs can be connected or disconnected
- A graph is connected if for every pair of nodes in the graph there exists a path if you ignore directions on the edges

Connected

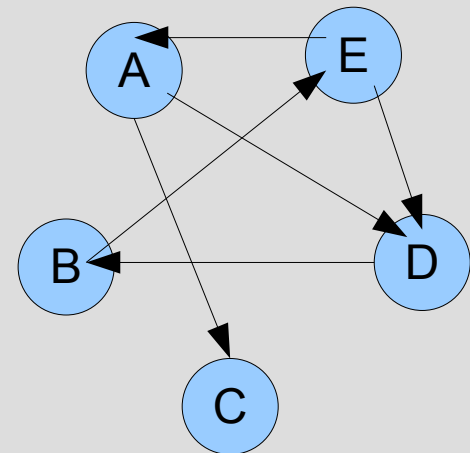


Not Connected



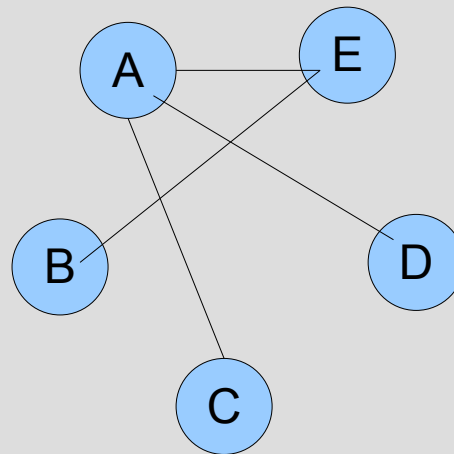
Degree of a Node

- The degree of a node is the number of edges connected to it
- The in-degree of a node in a digraph is the number of edges that end at that node
- The out-degree of a node in a digraph is the number of edges that begin at that node
 - $\text{Degree}(E) = 3$
 - $\text{InDegree}(E) = 1$
 - $\text{OutDegree}(E) = 2$



An Acyclic Graph

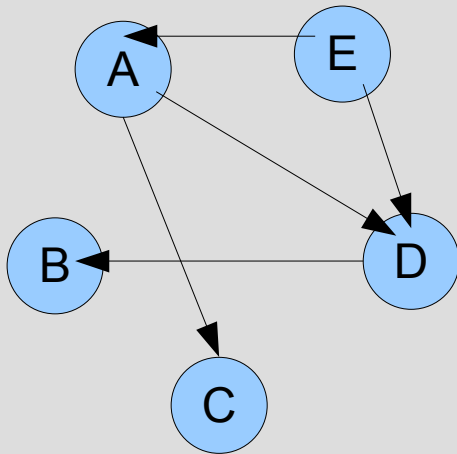
- A graph without cycles is called an acyclic graph



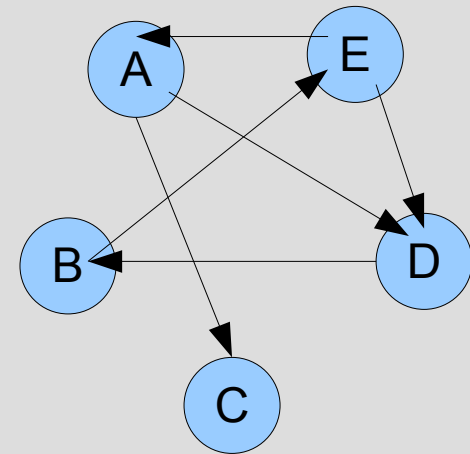
A DAG

- A DAG (directed acyclic graph) is a digraph that contains no cycles

A DAG



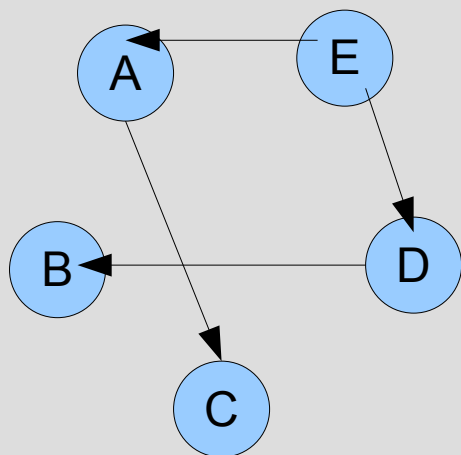
Not a DAG



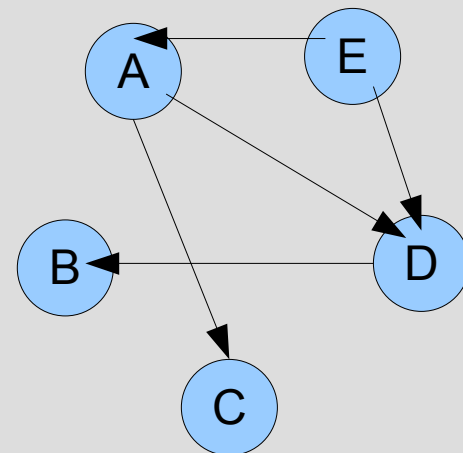
A Tree

- A Tree is:
 - a DAG...
 - that is connected...
 - And for which no node has an in-degree greater than 1

A Tree

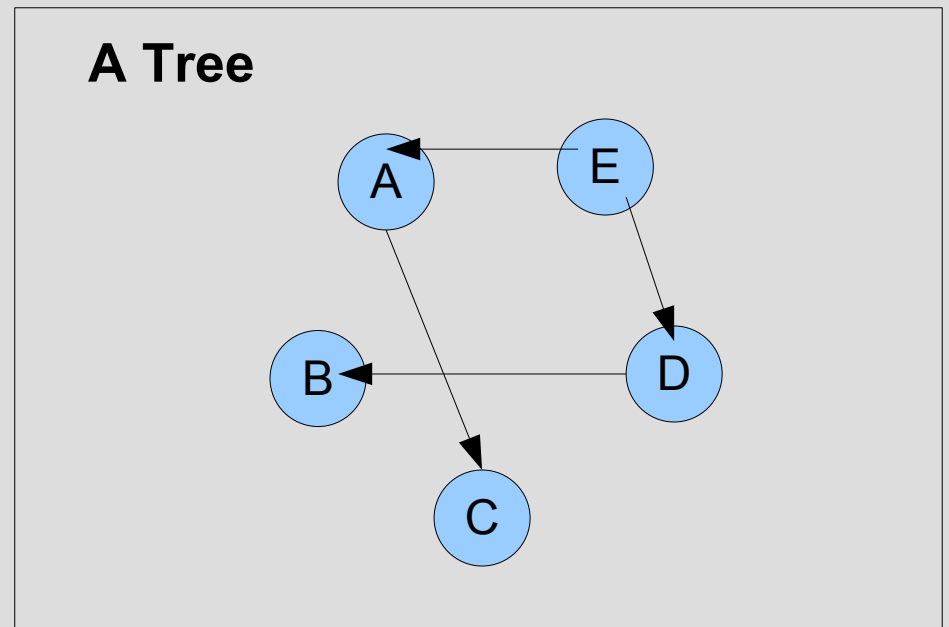


Not a Tree



Leafs and Interior Nodes

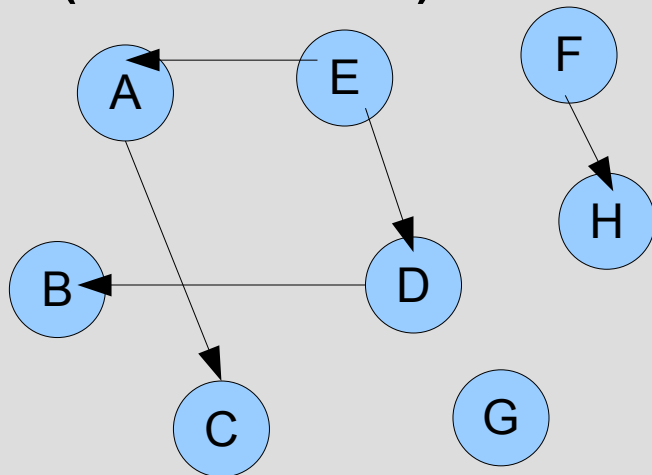
- A leaf in a tree is a node whose outdegree is 0
- An Interior node is a node in a tree whose outdegree is at least 1
 - E.g., B and C are leafs
 - A,D,and E are interior



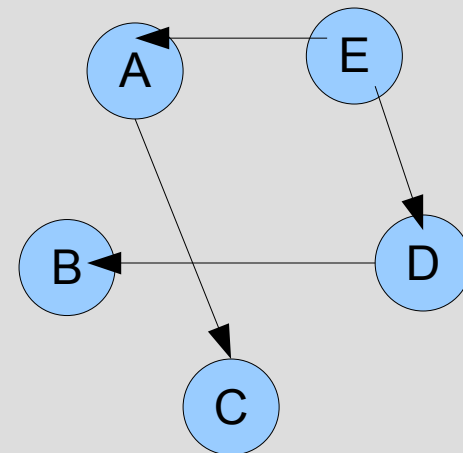
A Forest

- A Forest is a:
 - DAG...
 - for which no node has an in-degree greater than 1...
 - But is not necessarily connected
- Note any graph that is a tree is also a forest

A Forest (but not a tree)



A Tree (and also a forest)

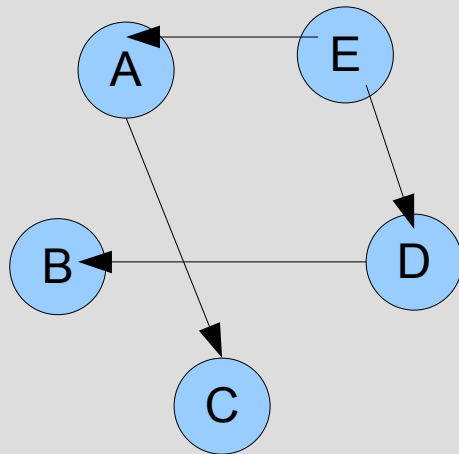


Visualizing a Tree

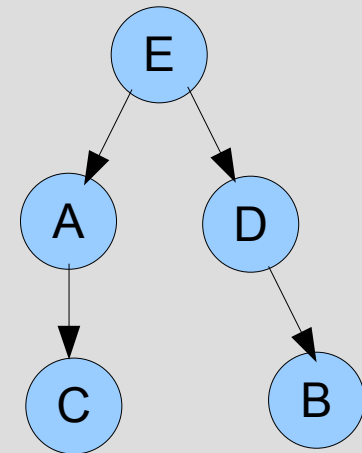
- The root of a tree is the one (and only one node) of the tree whose indegree is 0.
- The children of a node in a tree are the nodes at the ends of the outgoing edges of the node
- Trees are usually visualized with the root at the top, its children lined up below, and so forth

Visualizing a Tree

This Tree



Would be visualized like:

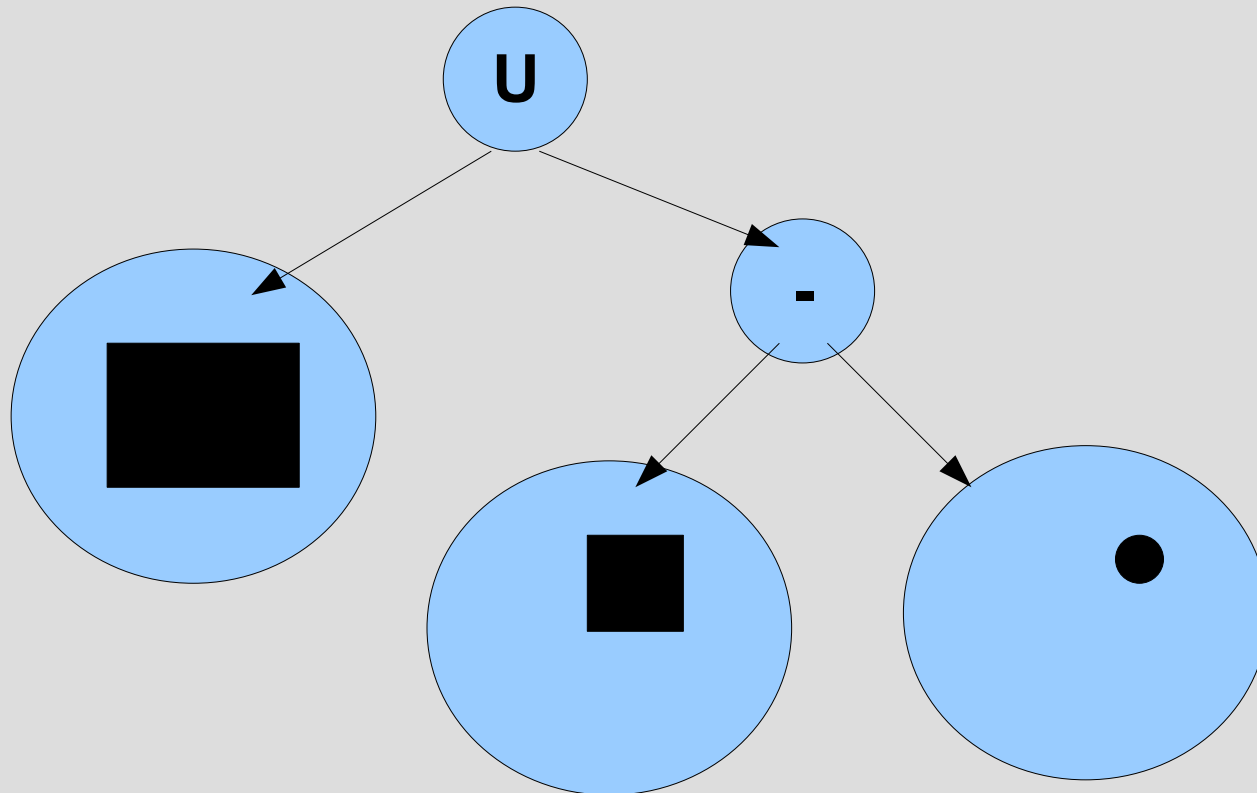


What are Graphs Used For

- Representing a network
 - Nodes: computers, routers, etc
 - Edges: direct connections
- Cluster Computing
 - Representing the interconnectedness of the nodes (computers) of the cluster
- Social Network Analysis
 - Nodes: people or other entities
 - Edges: represent various types of relationships
- Software Engineering
 - e.g., UML diagrams
- Chemistry:
 - Representing molecular structures

Graphs in Computer Graphics

- Constructive Area Geometry: some implementations use graphs to represent the operations and primitive shapes, etc



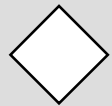
Graphs in Solid Modeling

- Constructive Solid Geometry:
 - The 3D equivalent of constructive area geometry
 - Almost always implemented as a graph structure

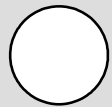
Scene Graph: Legend



Virtual Universe



Locale



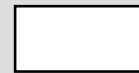
Group Node



Leaf Node



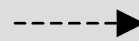
Node Component



Other Object

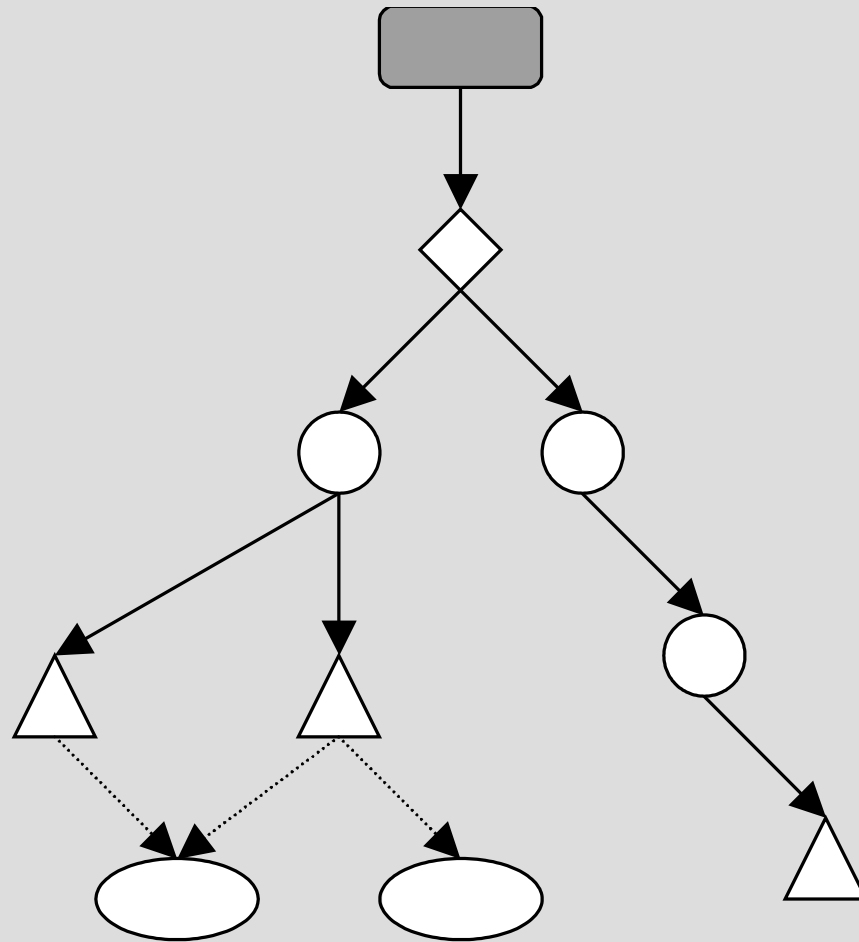


Parent-Child Link

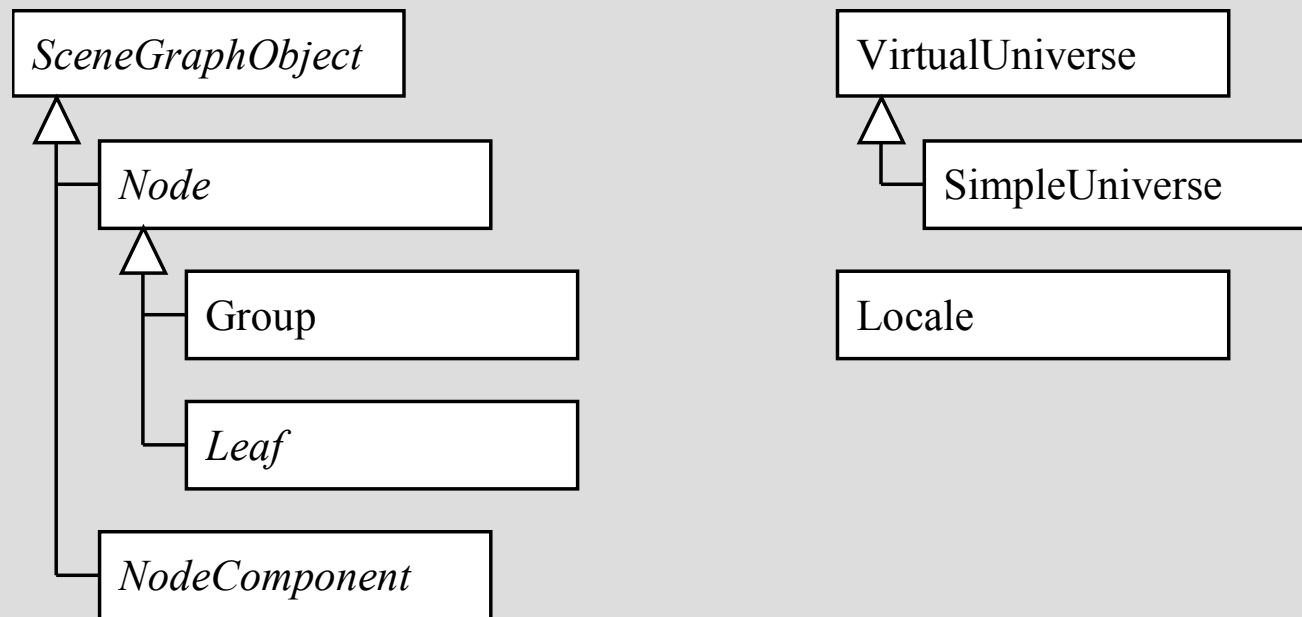


Reference

Scene Graph

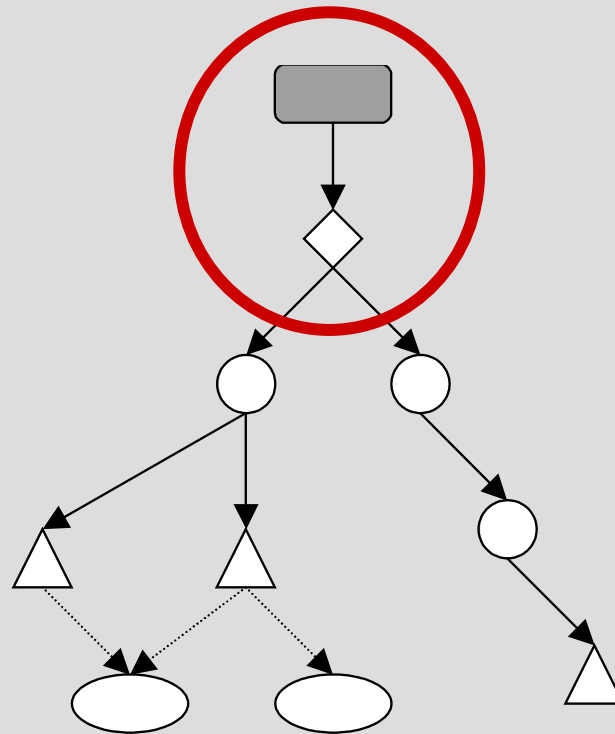


Scene Graph: Classes



Superstructure

- ◆ VirtualUniverse – the universe
- ◆ HiResCoord – 256bit fixed point numbers
- ◆ Locale – a “smaller” space



Superstructure

VirtualUniverse – the universe

HiResCoord – 256bit fixed point numbers

- Why 256bit fixed point?
- Fixed point in the middle
 - 128 bits for integer part
 - 128 bits for the fractional part
- Allows for distances of up to 2^{127} meters if units are in meters
- Resolution can be as fine as 2^{-128} meters
- Can model anything in the universe
 - E.g., distance from Earth to Sun is about 2^{37} meters
 - E.g., radius of a proton is about 2^{-50} meters

Superstructure

- It would be inefficient to use 256bit numbers to represent all coordinates
- The Locale class is used to represent a local space within the Universe
- A Virtual Universe can contain one or more Locale objects
- A Locale object
 - Has a specific location in the VirtualUniverse with a HiResCoord
 - Uses normal floating point numbers within the Locale

Superstructure

- A Java 3D Program has one VirtualUniverse
 - VirtualUniverse universe = new VirtualUniverse();
- A Locale object is attached to the VirtualUniverse
 - A VirtualUniverse can potentially have multiple Locale objects
- Multiple ways of constructing Locales
 - Locale locale = new Locale(universe);
 - Default position in the universe of (0,0,0)
 - Or you can specify where in the universe with the constructors
 - Locale(VirtualUniverse vu, HiResCoord location)
 - Locale(VirtualUniverse vu, int[] x,int[] y,int[] z)

The Locale Object

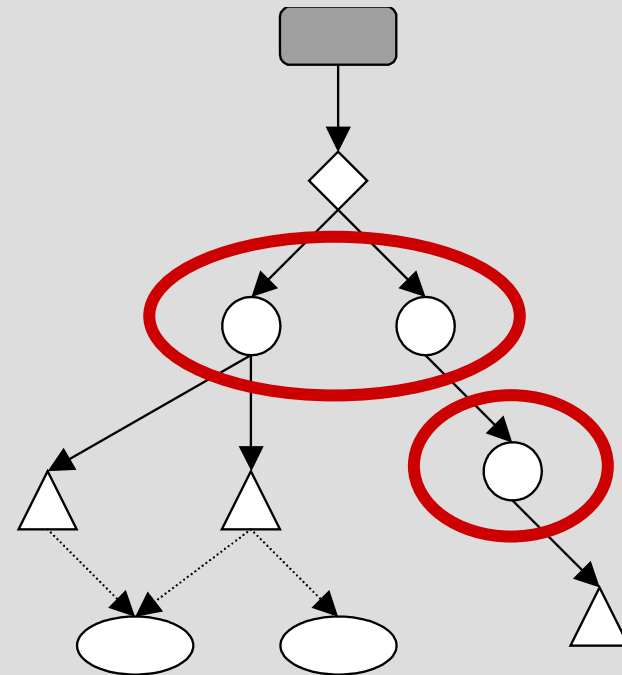
- A Locale object can have one or more BranchGroup objects attached
- A BranchGroup is a Scene Graph
- Once a BranchGroup is attached to a Locale, Java 3D begins rendering
- Can add a Scene Graph (BranchGroup object) with:
 - `void addBranchGraph(BranchGroup branch)`

SimpleUniverse

- SimpleUniverse is a highly useful utility class that extends VirtualUniverse
- SimpleUniverse includes
 - A Locale object
 - Set of objects to define a standard view
- Can quickly form a complete Scene Graph by adding a content branch
- Default view position (from viewers perspective)
 - The x-axis points to the right
 - The y-axis points up
 - The viewer is on the z axis looking towards -z

Group Nodes

- BranchGroup
- OrderedGroup
- Primitive
- SharedGroup
- Switch
- TransformGroup



BranchGroup

- The only type of Node that can be added to a Locale
- No special operations beyond this
- Children can either be leafs or other Group nodes
- Add children with
 - void addChild(Node child)
 - void insertChild(Node child, int index)
- Can also get the number of children, etc
 - int numChildren()
 - Enumeration getAllChildren()

OrderedGroup

- Java3D does not specify order that children of a node are visited during rendering
 - Children of a node can be rendered in any order
- OrderedGroup
 - Allows programmer to specify order that children are rendered
 - Rendered in order of indices
 -

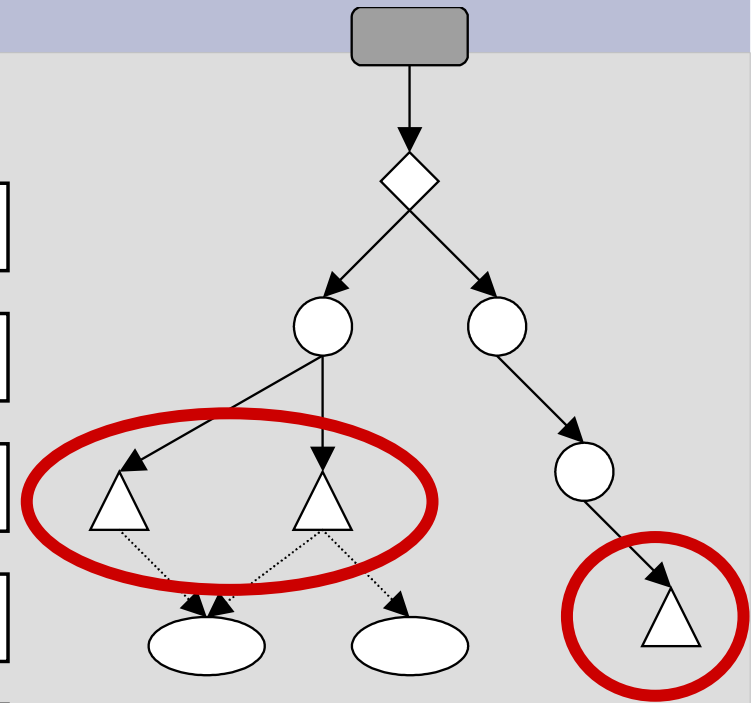
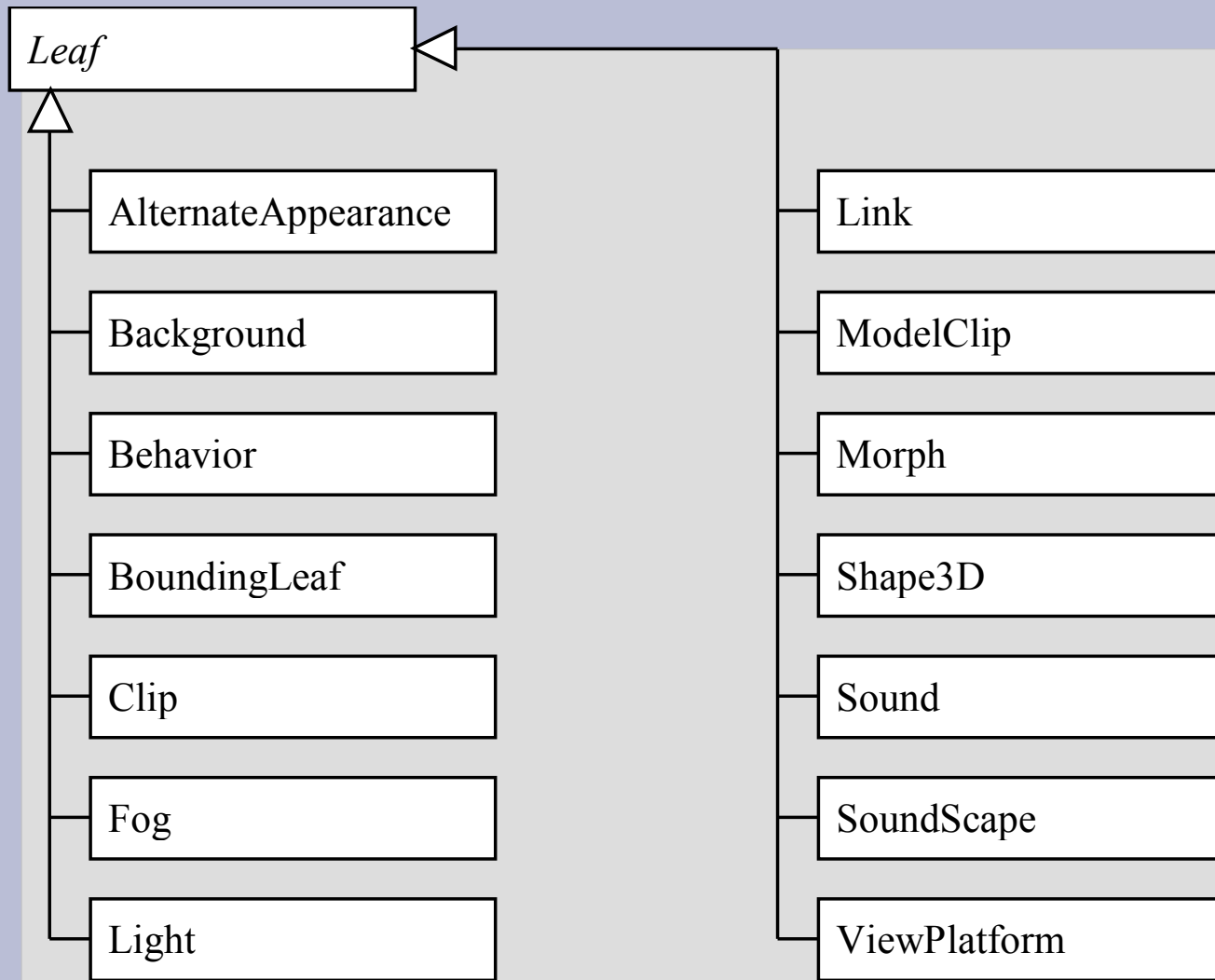
Some other group nodes

- Primitive node
 - A geometric primitive such as a sphere
 - We'll look at these later
- A SharedGroup
 - Branch graphs must be trees
 - If 2 branches are identical:
 - We can use a special type of node called a link which is a leaf
 - The Link nodes can each have a reference to a single SharedGroup
 - We'll see this in more detail later

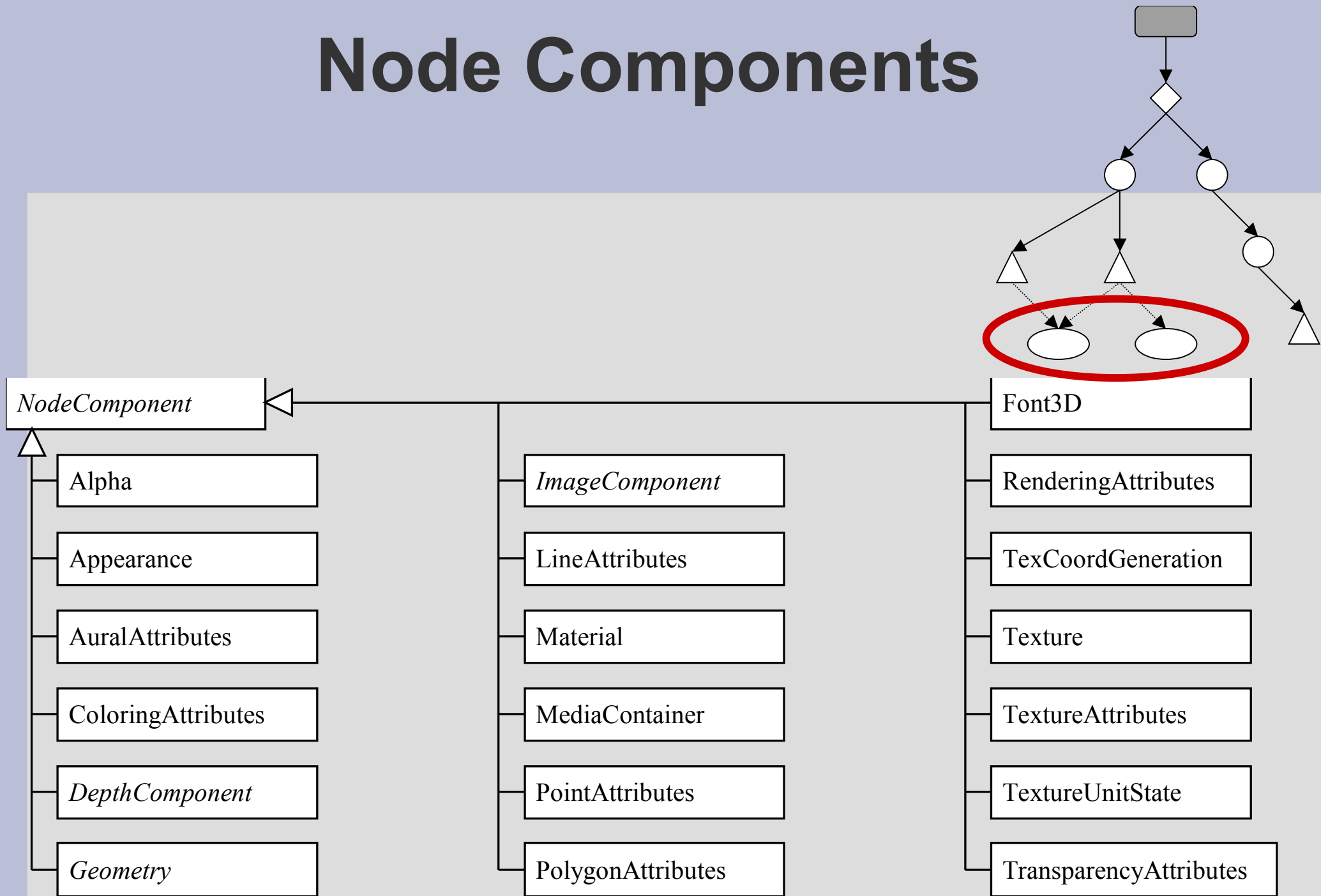
Some other group nodes

- Switch
 - Used to select a particular set of the children for rendering
 - We'll see these later on
- TransformGroup
 - A geometric transform that is applied to all of its children

Leaf Nodes

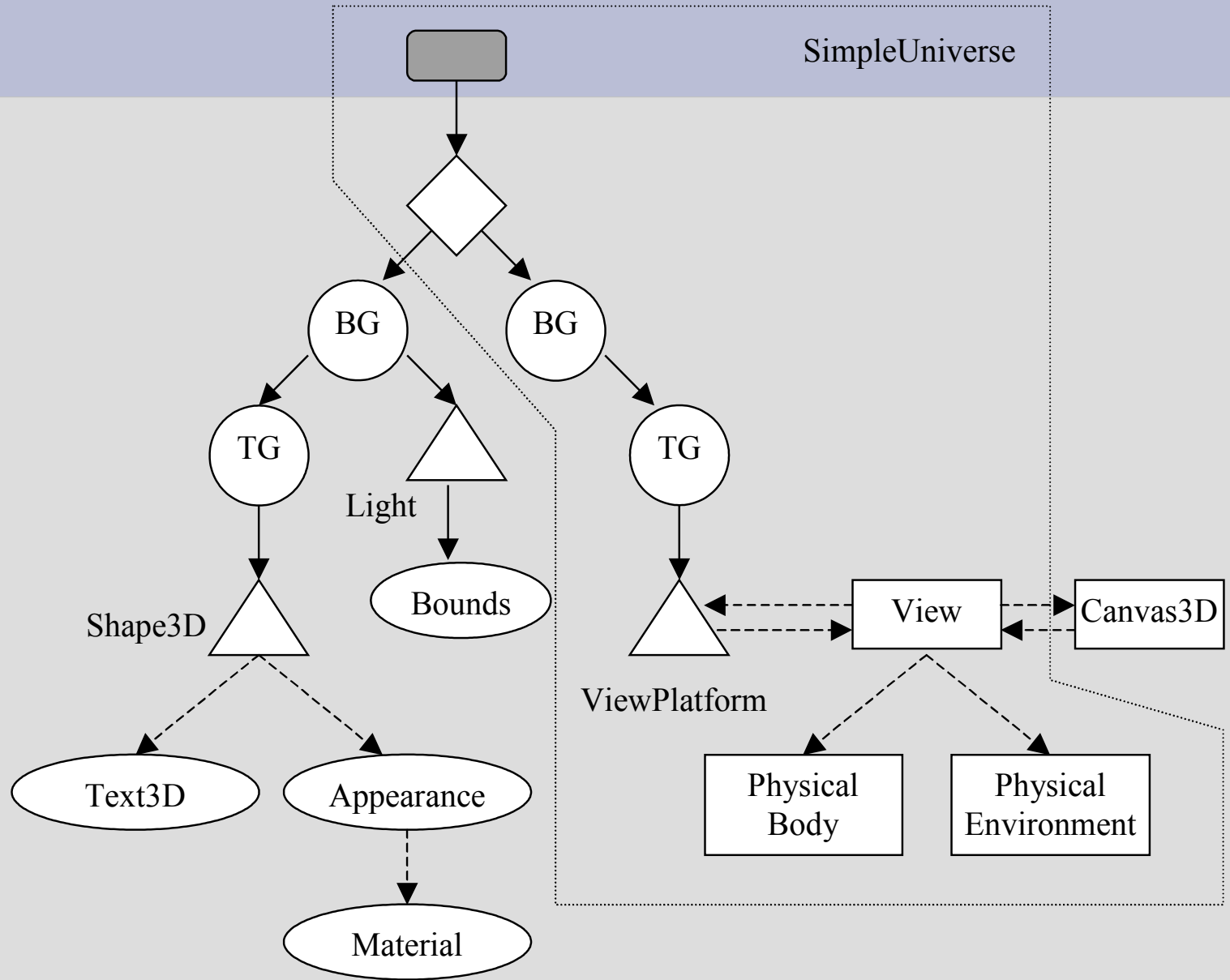


Node Components



Scene Graph

The Java 3D
"Hello" program



Use SimpleUniverse

- Create a Canvas3D object
- Create a SimpleUniverse object
- Add content branch

SimpleUniverse's View

- The View of SimpleUniverse
 - Projection: Perspective Projection
 - Field of View: $\pi/4$
- Also passes through the origin by default
 - Use:
`su.getViewingPlatform().setNominalViewingTransform();`
to move view back along the Z axis if some objects near the origin